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## Experiment 2 - Measurements

## Discussion

Experimental sciences, such as Chemistry, depend on making and using measurements properly. The SI system of units (sometimes called the metric system) is used almost exclusively. This system is very similar to our monetary system: $\$ 1=10$ dimes $=100$ cents $=$ 1000 mils. In chemistry, the basic units of length, mass, and volume are the meter, gram, and liter, respectively. They all are divided the same way. For example, 1 meter $=10$ decimeters $=$ 100 centimeters $=1000$ millimeters. The kilo is also commonly used; it equals 1000 of the basic unit. For example, 1 kilogram $=1000$ grams.

Often you will be asked to compare your experimental or calculated value to an "accepted" or theoretical value. The closer you are to the accepted value, the greater the accuracy of your experiment. Percent error is a common method used for calculating accuracy: \% error = 100 x difference/accepted value. The accepted value could be located in a reference such as the Handbook of Chemistry and Physics. The difference between your value and the accepted value is then divided by the accepted value and multiplied by 100 to calculate the percent error. The smaller the percent error, the more accurate your experimental value.

In science, an experimenter is allowed to estimate one more digit past what can be measured exactly on an instrument. For example, if the smallest lines on a ruler are centimeters, and an object's length falls between 2 lines, more precision is gained by estimating between the lines. Therefore, the length of an object might be reported as 25.5 cm . The reported numbers are called "significant figures", and the more precise the instrument, the more significant figures it can produce.

A calculation cannot be any more precise than the least precise measurement. For example, density is calculated by dividing the mass of an object by its volume. Therefore, the density of an object might be $23.57 \mathrm{~g} / 4.2 \mathrm{~mL}=5.61190476 \mathrm{~g} / \mathrm{mL}$. But, the least precise measurement (the volume) only has a precision of 2 significant figures. Therefore, the density must be reported as $5.6 \mathrm{~g} / \mathrm{mL}$.

## Procedure

Record your data on the report form as you complete the measurements. 4
A. Temperature

5 beakers with thermometers have been set up for you: (1) room temperature water,
(2) boiling water, (3) a mixture of ice and water, (4) a stirred mixture of ice and water, and
(5) a stirred mixture of ice, water and salt. Observe and record all temperatures to the nearest $0.1^{\circ} \mathrm{C}$.
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B. Mass

When using any measuring device, never round off your raw data. If the balance fluctuates on the last digit, estimate that value. Weigh a (1) $100-\mathrm{mL}$ beaker, (2) a $250-\mathrm{mL}$ Erlenmeyer flask, (3) a plastic empty weighing boat, and (4) and then add approximately 2 grams of sodium chloride to the weighing boat. Calculate the mass of the sodium chloride added.

## C. Length

Using a metric ruler, measure the following in centimeters, remembering to estimate one extra digit: (1) the length of the double arrow on the report sheet, (2) the length of the external height of a $250-\mathrm{mL}$ beaker, and (3) the length of a medium sized test tube.

## D. Volume

The graduated cylinder is the most accurate equipment in your locker for measuring volume and can give a precision of 0.1 mL . Water is attracted to the glass sides of the cylinder, causing a curved effect called the meniscus. The cylinder should be read at eye level using the bottom of the meniscus. In theory, a $250-\mathrm{mL}$ Erlenmeyer flask with a marking for 200 mL should have a volume of 200 mL at that mark! However the problem is that volumes marked on beakers and flasks are only approximate values. Therefore, fill a $250-\mathrm{mL}$ Erlenmeyer flask to the 200 mL mark with water, transfer this volume of water to a $250-\mathrm{mL}$ graduated cylinder, and determine the exact volume.

It is often convenient to estimate volumes of 5 and 10 mL simply by observing the height of a liquid in a test tube. Use your graduated cylinder to place 5 and 10 mL of water in a medium-sized test tube and measure the heights in cm .

## E. Density

Density measures the "compactness" of material. For example, lead has a high density, and Styrofoam has a low density. Mathematically, this compactness is expressed as mass per unit volume. In chemistry, we use grams and milliliters: $\mathrm{D}=\mathrm{g} / \mathrm{mL}$. Density is an intrinsic value; it does not depend on the amount of sample taken. We will take advantage of this by measuring the density of various sample sizes and averaging their densities:

1. Obtain 5 pieces of the same object and record its name on the data sheet.
2. Keep track of the 5 objects by placing them in numbered test tubes.
3. Weigh each object and record the values on the data sheet.
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4. Choose the appropriate size graduated cylinder (smallest size that will hold the object plus enough water). Add enough water to the graduated cylinder to be able to cover your largest sample. Record the volume to the highest precision ( 0.1 mL or better).
5. Carefully add the sample to the graduated cylinder. There are two things to watch out for: breaking the cylinder and splashing water out. Tilting the cylinder and gently sliding the object in minimize both of these risks. Record the new volume.
6. Repeat with each sample piece. If the sample pieces are small, the pieces can remain in the graduated cylinder until all sample pieces have been added to the cylinder.
7. Determine the density of each piece and the average density.
8. Graph the cumulative data. Use the largest values of mass and volume to determine your x and y scales. Choose the scale to use most of the available graph. Place a data point at the origin ( 0.00 grams and 0.00 mL ), then place all your other cumulative data points.
9. Using a straight edge, draw the best-fit line through the data points (through the center of the points, include the origin on the line).
10. Choose a point on the line near the high end of the line that passes through the graph's cross hairs. The slope is the mass of this point divided by its volume. The slope of this graph is another way of determining the average density of the data points.
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## Data and Calculations for Experiment 2

## Measurements

A. Temperature

1. Water at room temperature $\qquad$
2. Boiling point $\qquad$
3. Ice water

Unstirred $\qquad$
Stirred $\qquad$
4. Ice water with salt added $\qquad$ ${ }^{\circ} \mathrm{C}$
B. Mass

1. 100 mL beaker $\qquad$
2. 250 mL Erlenmeyer flask $\qquad$
3. Weighing boat $\qquad$
4. Mass of weighing boat + sodium chloride $\qquad$
Mass of sodium chloride (show calculation setup) $\qquad$
C. Length
5. Length of $\longleftrightarrow$ $\qquad$
6. Height of 250 mL beaker $\qquad$ cm
7. Length of test tube $\qquad$ cm
D. Volume
8. 200 mL mark (from Erlenmeyer flask) water transfered to graduated cylinder $\qquad$ mL
9. Height of 5.0 mL of water in test tube $\qquad$ cm
10. Height of 10.0 mL of water in test tube $\qquad$ cm
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Graph of Cumulative Mass versus Cumulative Volume


Average density of sample from calculated data: $\qquad$

Average density from graph: $\qquad$
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## Questions

1. Which would work better in this experiment as an unknown solid whose density is to be determined, wood chips or small quartz rocks? Explain your choice.
2. Why is it best to use a smaller graduated cylinder as opposed to a larger graduated cylinder for this experiment?
3. How well does the average density from the table and density from the slope of the graph compare? Which value is closer to the accepted density of your metal? (Refer to the Handbook of Chemistry and Physics). Calculate the percent error between your better value and the handbook value.
4. What is the density of a 9.343 gram piece of metal that causes the level of water in a graduated cylinder to rise from 5.1 to 8.1 mL when the metal is emerged in the water? Consider significant figures when doing the calculation.
